

VENTED IONIZATION CHAMBERS FOR ULTRA-HIGH DOSE PER PULS CONDITIONS

Rafael Kranzer^{1,2}, Andreas Schüller³, Daniela Poppinga¹, Jan Weidner¹, Hui Khee Looe², Björn Poppe²

¹ PTW-Freiburg (R&D), Freiburg 79115, Germany, ² University Clinic for Medical Radiation Physics, Medical Campus Pius Hospital, Carl von Ossietzky University Oldenburg, 26121 Germany

³ Physikalisch-Technische Bundesanstalt, Braunschweig 38116, Germany

Disclosure

- ▶ Rafael Kranzer, Jan Weidner and Daniela Poppinga are PTW employees
- ▶ This project (18HLT04) has received funding from the EMPIR programme co-financed by the Participating States and from the European Union's Horizon 2020 research and innovation programme.

Investigation

▶ PTB research electron accelerator

- Energy 20 MeV
- PRF = 5 Hz, $t_{\text{pulse}} = 2.5 \mu\text{s}$
- Current transformer (Bergoz ICT) as beam monitor calibrated against alanine



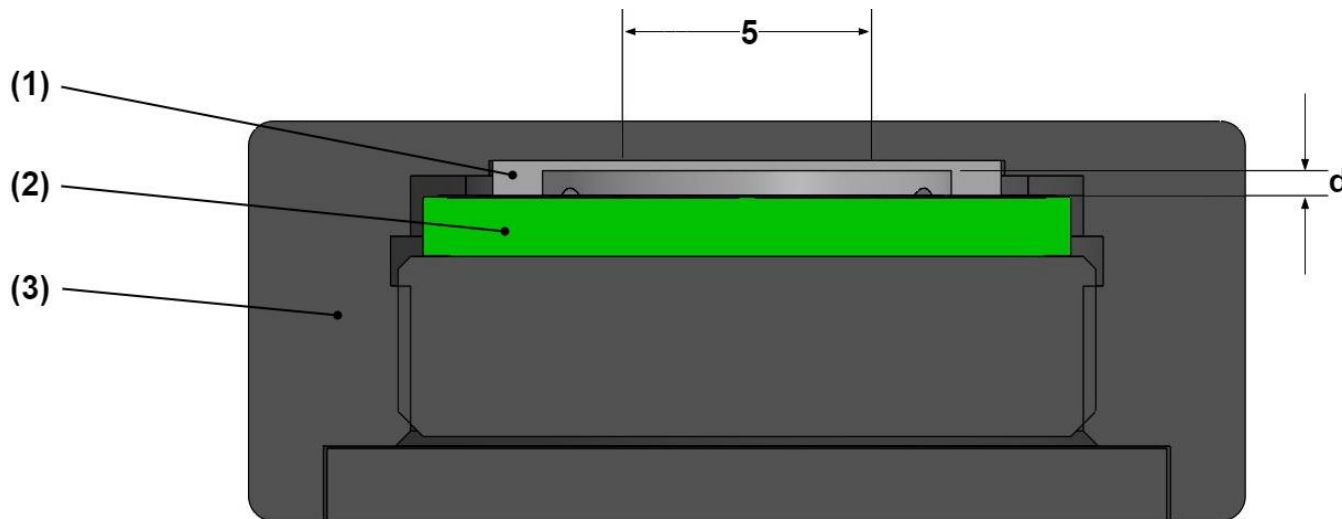
▶ Numerical approach

- By solving a system of differential equations that describes the charge creation and transport in the ionization chamber (Gotz et al. 2017, Kranzer et al. 2020)
- Simulation of the charge collection efficiency

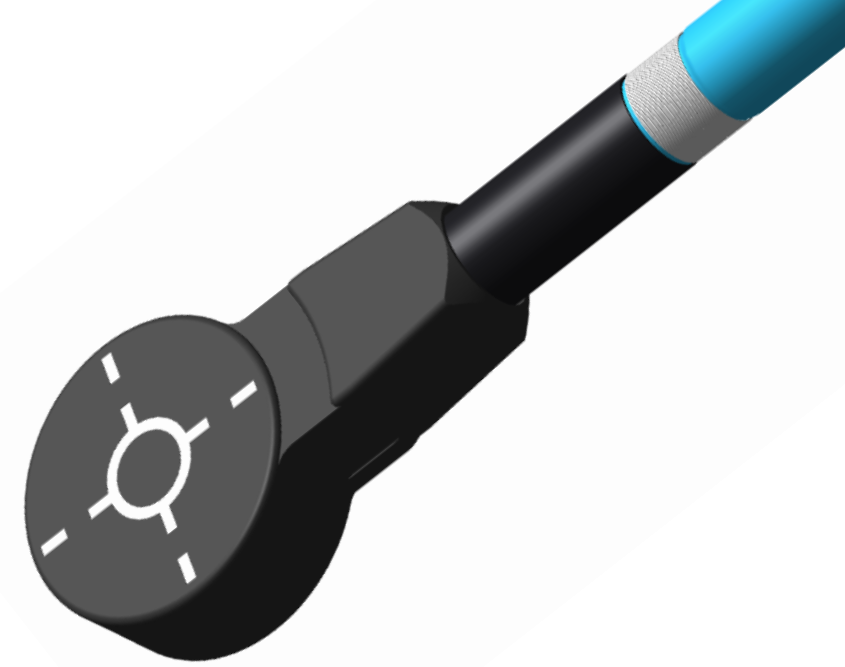
Investigation

► Detectors

- Parallel Plate Ionization Chambers (PPIC)
- With electrode distances d of 1.0, 0.5 and 0.25 mm
- Chamber voltages of 125, 250 and 500 V



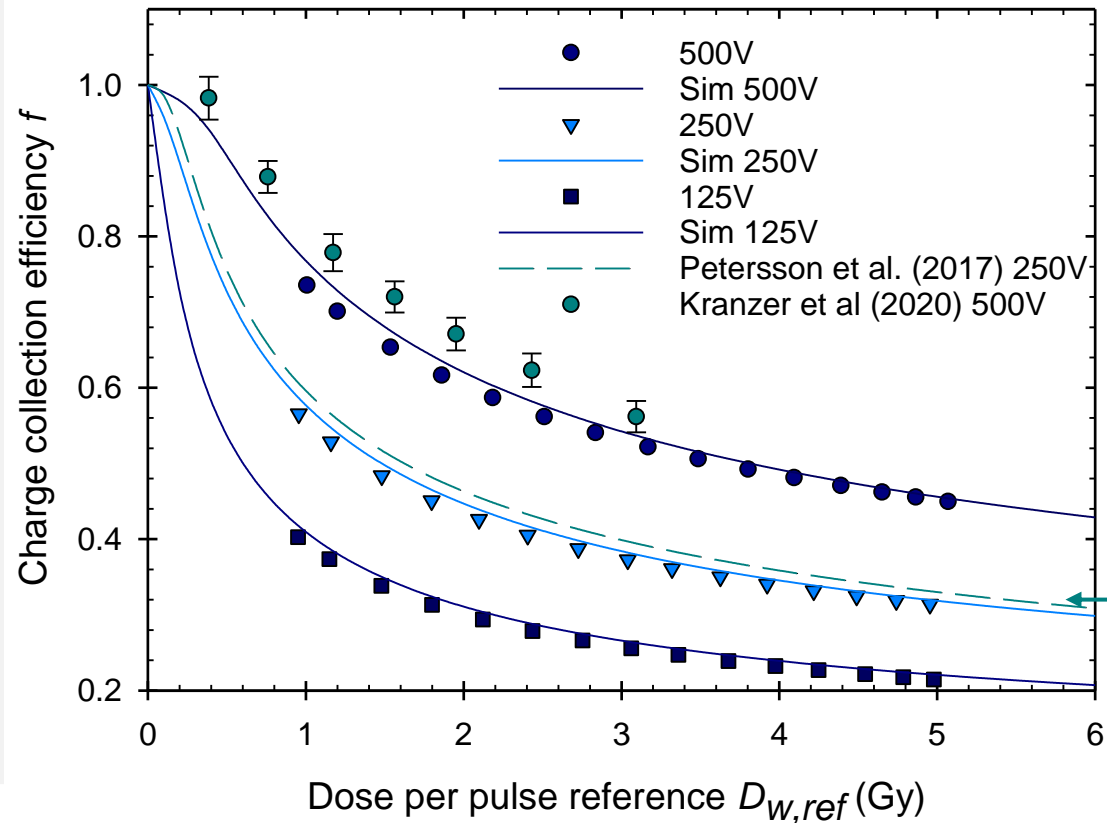
- (1) HV Electrode (Graphite)
- (2) PCB (FR4)
- (3) Housing (PS)



Results

$$\text{Charge collection efficiency } f = \frac{1}{k_S} = \frac{(M - M_0) \times N_{C060,DW} \times k_{cross} \times k_P}{D_{W,ref}}$$

Electrode distance $d = 1 \text{ mm}$

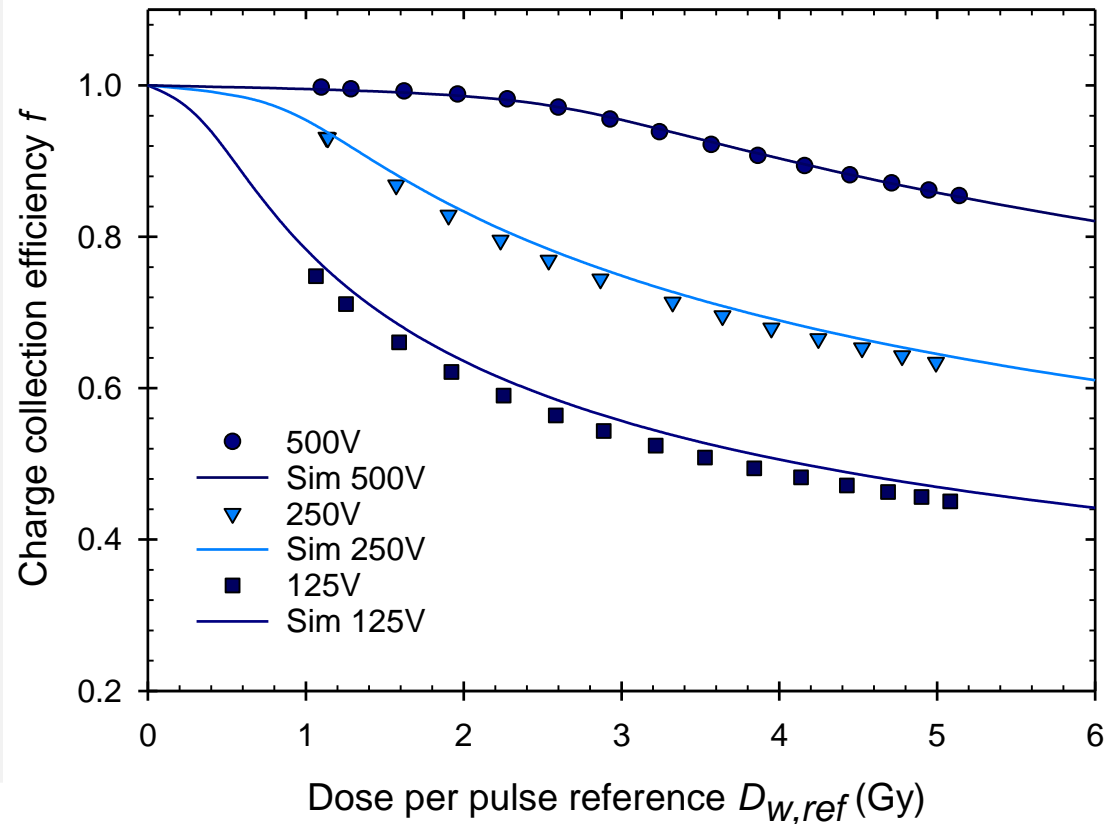


$$k_S \approx \left(1 + \left(\frac{DPP[\text{mGy}]}{U[\text{V}]} \right)^\alpha \right)^\beta$$

Results

$$\text{Charge collection efficiency } f = \frac{1}{k_S} = \frac{(M - M_0) \times N_{C060,DW} \times k_{cross} \times k_P}{D_{W,ref}}$$

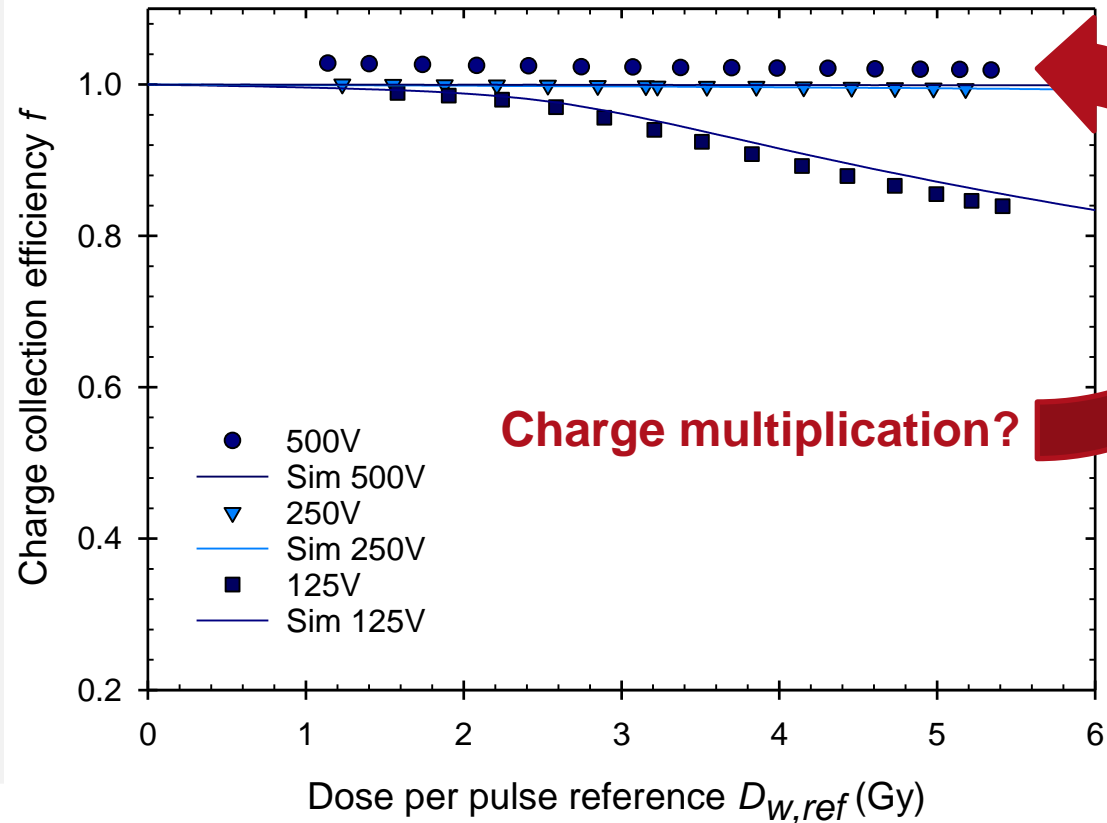
Electrode distance $d = 0.5$ mm



Results

$$\text{Charge collection efficiency } f = \frac{1}{k_S} = \frac{(M - M_0) \times N_{C060,DW} \times k_{cross} \times k_P}{D_{W,ref}}$$

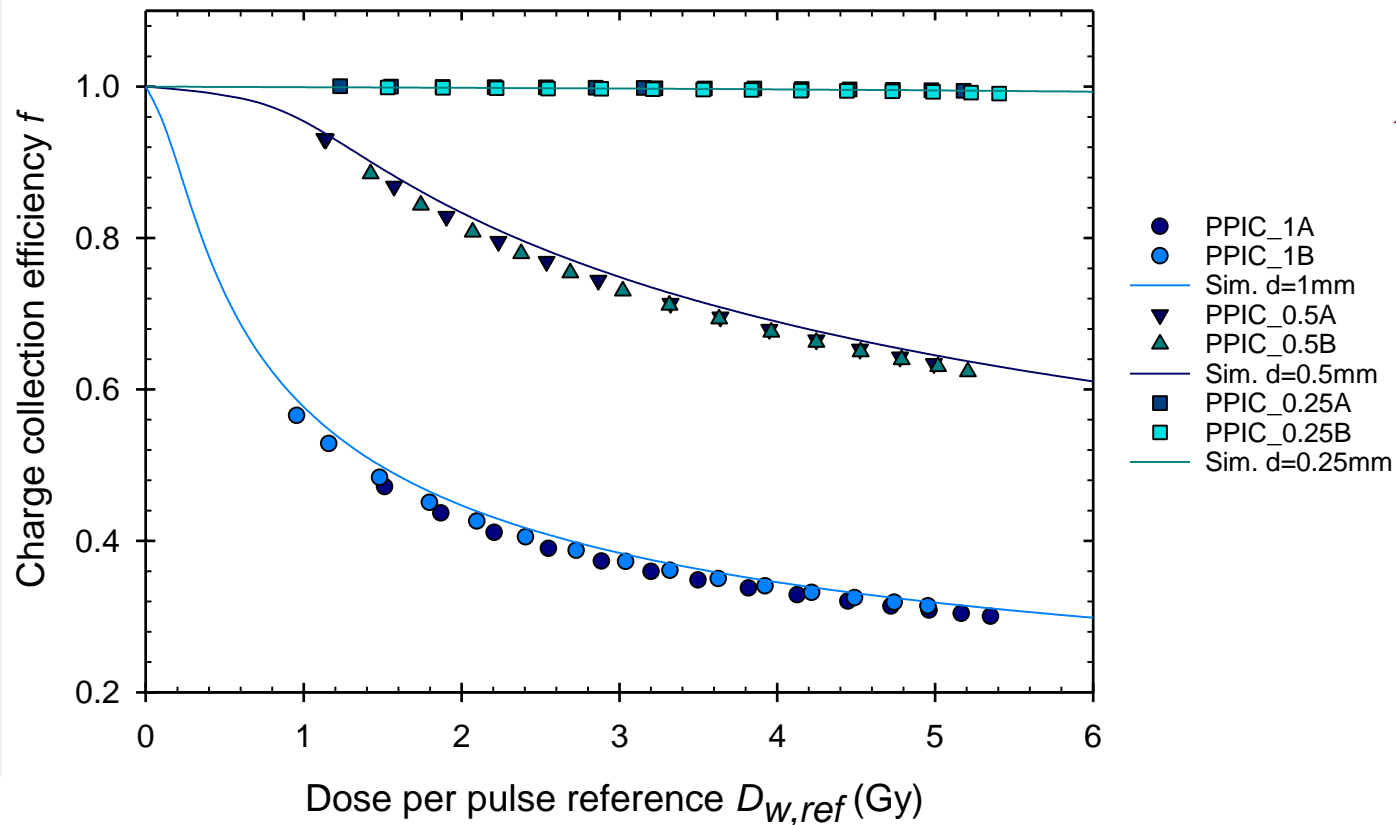
Electrode distance $d = 0.25$ mm



Results

$$\text{Charge collection efficiency } f = \frac{1}{k_S} = \frac{(M - M_0) \times N_{C060,DW} \times k_{cross} \times k_P}{D_{W,ref}}$$

Chamber voltage $U = 250 \text{ V}$



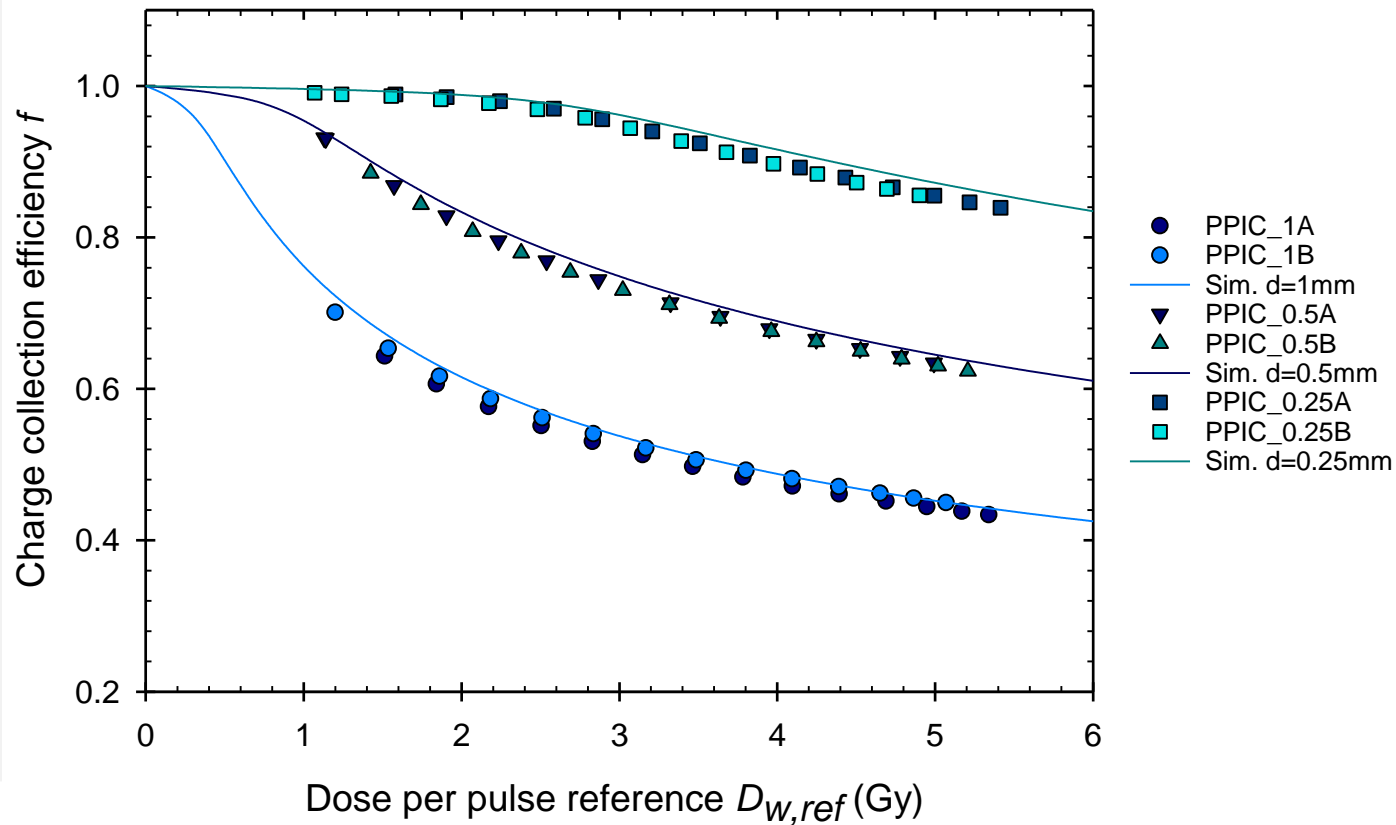
Decrease of the electrode distance

Increase in field strength

Results

$$\text{Charge collection efficiency } f = \frac{1}{k_S} = \frac{(M - M_0) \times N_{Co60, Dw} \times k_{cross} \times k_P}{D_{w,ref}}$$

Field strength $E = 500 \text{ V/mm}$

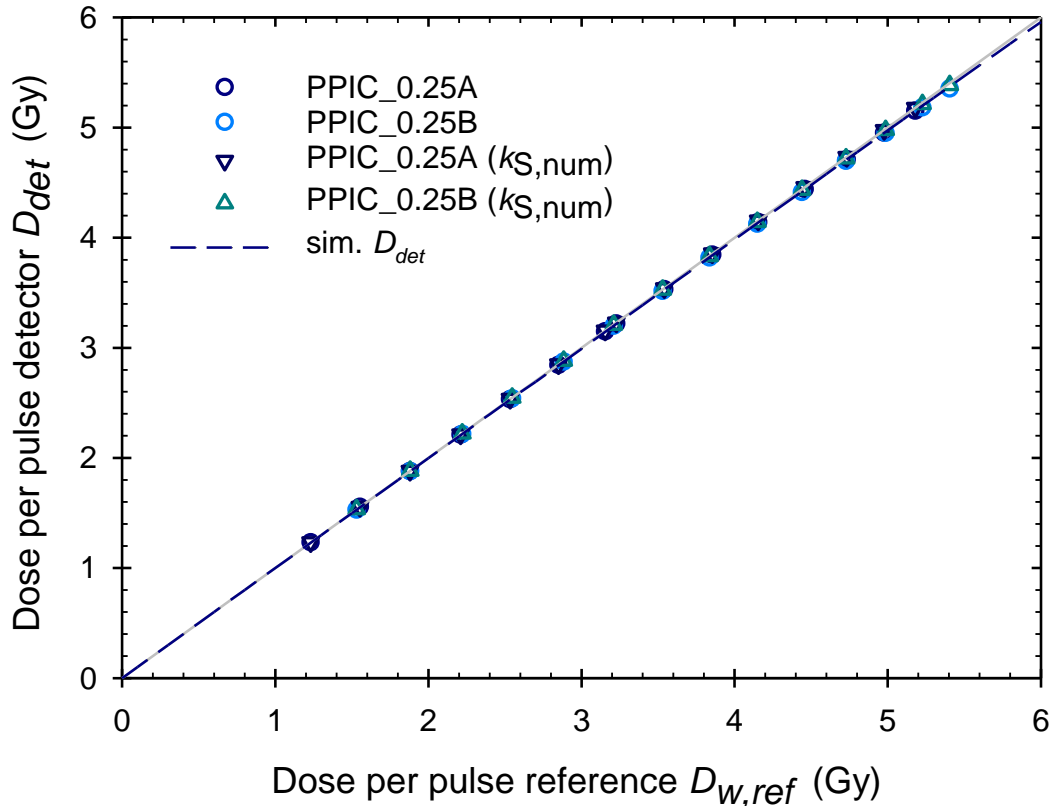


Decrease of the electrode distance

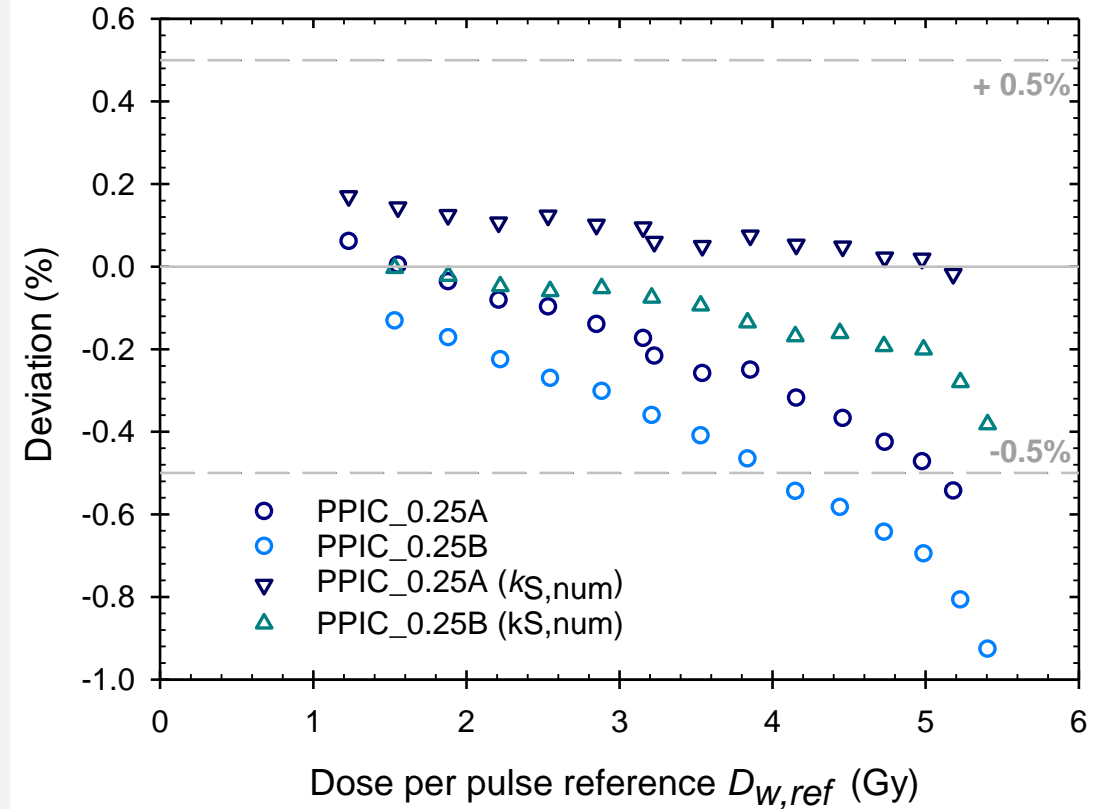
Results

Measured dose vs reference dose per pulse

Linearity of PPIC (d = 0.25 mm, U = 250V)



Deviations



Conclusion

- ▶ Electrode distance is the crucial parameter for charge collection efficiency at ultra-high dose per pulse
- ▶ Ultra thin PPICs show recombination losses $< 1\%$ up to 5.5 Gy/pulse (see also talk of F. Gomez)
- ▶ They are a promising tool for real time dosimetry in FLASH-RT allowing the use of established protocols for reference dosimetry
- ▶ The numerical approach is extremely useful for the understanding of the effects and to predict the charge collection efficiency (see also talks of F. Gomez and J. Paz-Martin)

Thank you!
Any Questions?